

6.1 Slope of a Line

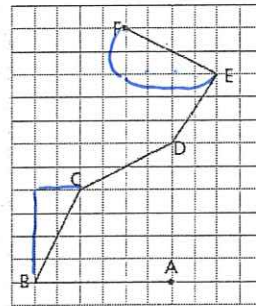
From page 332 of your textbook:

Construct Understanding

TRY THIS

Work with a partner.

This diagram shows different line segments on a square grid.



- A. Think of a strategy to calculate a number to represent the steepness of each line segment.
- B. Which is the steepest line segment? How does your number show that?
- C. Which segment is the least steep? How does its number compare with the other numbers?

A) Look at how high ↑ over how far →.

B) BC. it goes up 4 squares and right 2 squares
 $\frac{4}{2} = 2$

C) EF. it goes down 2 squares and right 4. $-\frac{2}{4} = -\frac{1}{2}$
 it's negative.

The slope of a line segment is the same as its rate of change, which we calculated in Chapter 5:

↳ IF the segment goes down, the rate is negative.

6.1 Slope of a Line

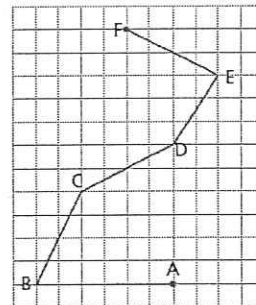
From page 332 of your textbook:

Construct Understanding

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Work with a partner.

This diagram shows different line segments on a square grid.

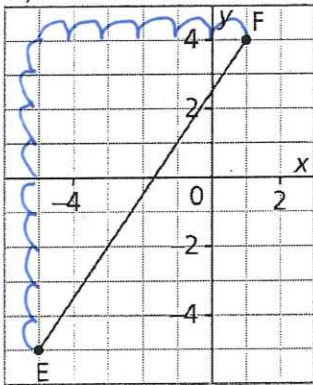


- A. Think of a strategy to calculate a number to represent the steepness of each line segment.
- B. Which is the steepest line segment? How does your number show that?
- C. Which segment is the least steep? How does its number compare with the other numbers?

The slope of a line segment is the same as its rate of change, which we calculated in Chapter 5.

Example: Determine the slope of each line segment.

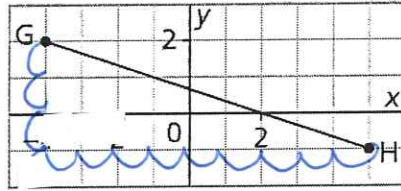
a)



$$\text{slope} = \frac{9}{6} = \frac{3}{2}$$

Note: Choose the left most point and count vertically first. Up is + and Down is -.

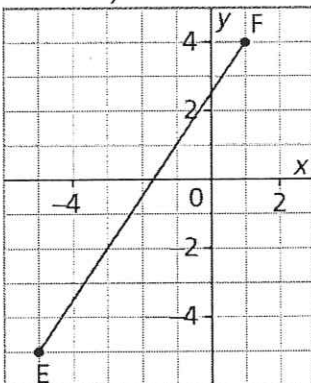
b)



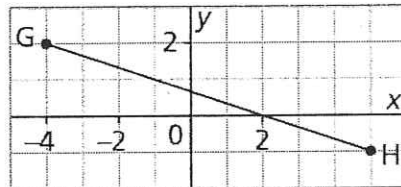
$$\text{slope} = -\frac{3}{9} = -\frac{1}{3}$$

Example: Determine the slope of each line segment.

a)



b)



Example: Draw a line segment with each slope.

a) $\frac{4}{9}$

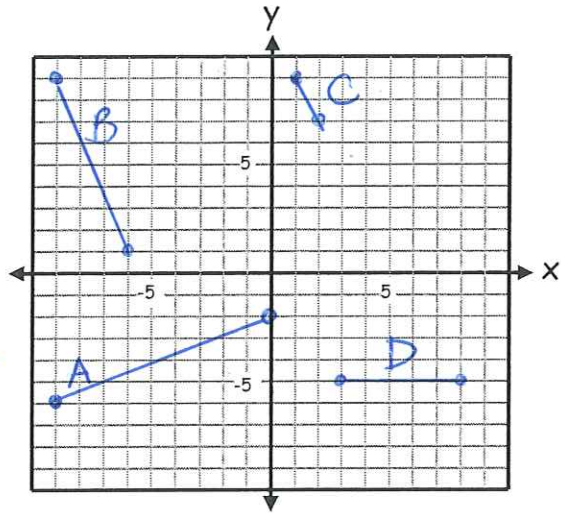
b) $-\frac{8}{3}$

c) -2

d) 0

$= -\frac{2}{1}$

$= \frac{0}{5}$
I just chose 5



Example: Determine the slope of a line that passes through each pair of points.

a) A(4,-5) and B(8,6)

(x_1, y_1) (x_2, y_2)

slope = $\frac{6 - (-5)}{8 - 4}$
 $= \frac{11}{4}$

b) X(3,6) and Y(3,10)

(x_1, y_1) (x_2, y_2)

slope = $\frac{10 - 6}{3 - 3}$
 $= \frac{4}{0}$
 $= \text{undefined}$

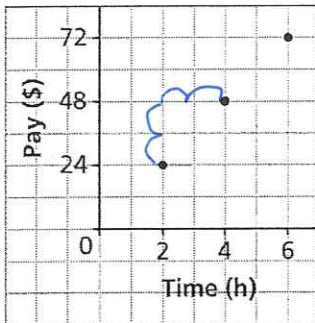
You can plot these OR use the equation.

we cannot divide by zero. (this gives a vertical line)

Rate of change = $\frac{\text{vertical change}}{\text{horizontal change}}$	→	slope = $\frac{\text{rise}}{\text{run}} = \frac{y_2 - y_1}{x_2 - x_1}$
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Example: Tom has a part-time job. He recorded the hours he worked and his pay for 3 different days. Tom plotted these data on a grid.

Graph of Tom's Pay



a) What is the slope of the line through these points? slope = $\frac{24}{2} = 12$

b) What does the slope represent?

rate of change = $12 = \$12/h$ Tom makes \$12 per hour

c) How can the answer to part b be used to determine:

i) how much Tom earned in $3\frac{1}{2}$ hours? $12 \times 3.5 = \$42$

ii) the time it took Tom to earn \$30?

$\$30 \div 12 = 2.5 \text{ hours}$

